

## Design Objectives

Safe workable economical design  
Select structural di  
Satisfy serviceability requirements  
Detailing reinforcement

## Building structural systems

Frame system  
Frame system with shear walls  
Reinforced concrete Load bearing walls  
Masonry load bearing walls  
Precast concrete system

## Floor systems

Beams-slab system [one way –two way]

Ribbed (waffle slab)

Flat plate

Flat slab with drop panels with or without capitals

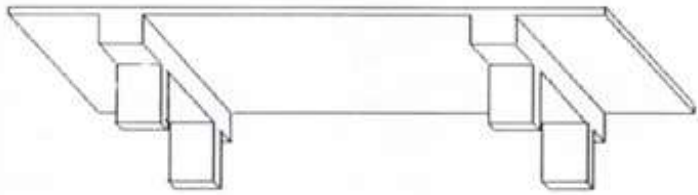
## Basic design relationship:

Reduction factor x Material capacity >

Load factor x actual loads

Reduction factors < 1 applied to M, V, etc

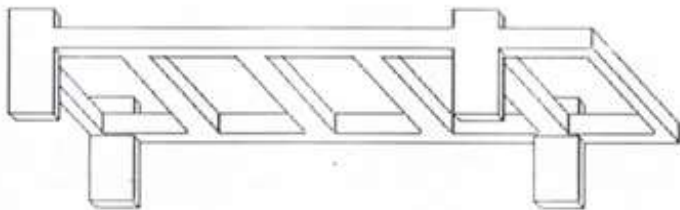
Load factors > 1 applied to live, dead, wind, EQ, etc



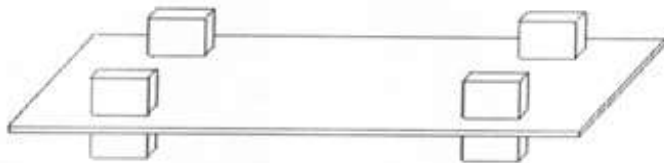
*One-Way Slab, Beam, and Girder*



*One-Way Slab, Supported by Beams or Walls*



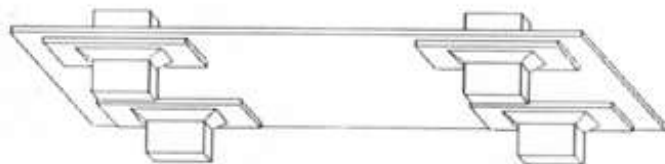
*One-Way Joist Slab*



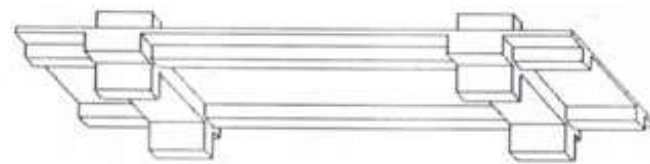
*Flat Plate*



*Waffle Slab*



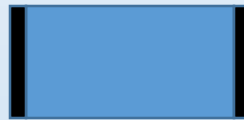
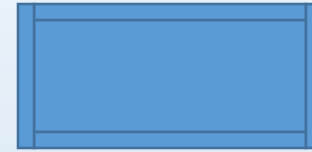
*Flat Slab*



*Two-Way Slab Supported by Beams*

## One way Slab

- a. If the long span  $> 2 \times$  short span    OR  
b. Supported only in one direction



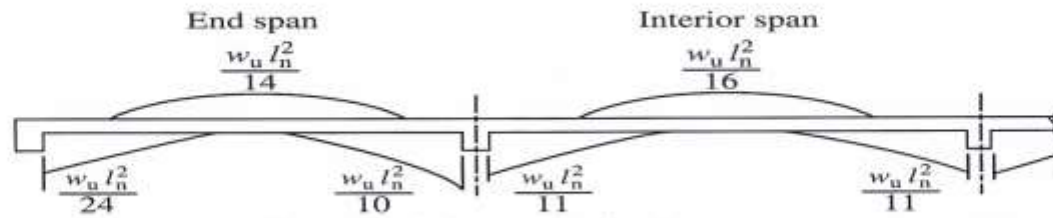
Take a strip from the slab one meter width ....

Find the loads on one m<sup>2</sup> and find moments from

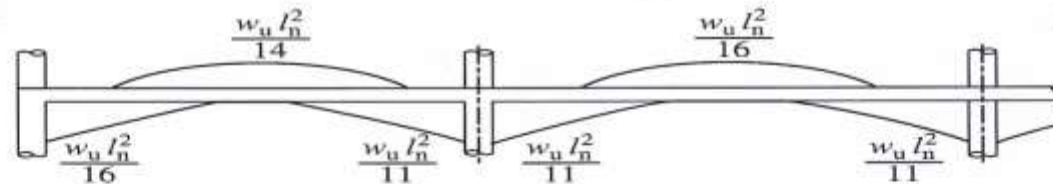
**ACI coefficients if the following criteria's are satisfied:**

1. There are two or more spans.
2. Different in span length not more than 20%
3. Loads are uniformly distributed.
4. Live load  $< 3$  times dead load.
5. Memembrs are prismatic.

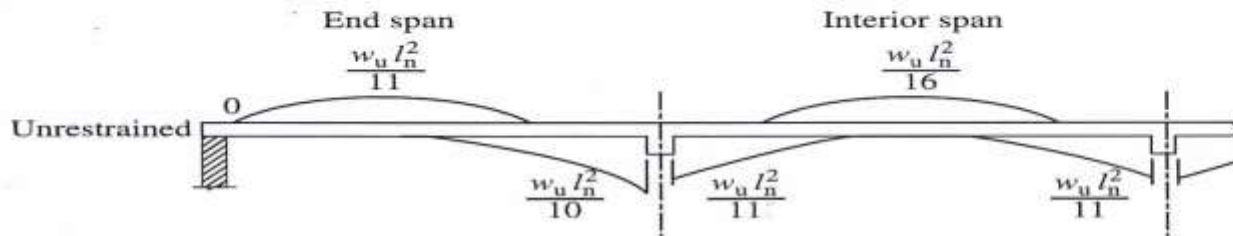
For  $-ve$  moment  $L$  is average of two adjacent clear spans.



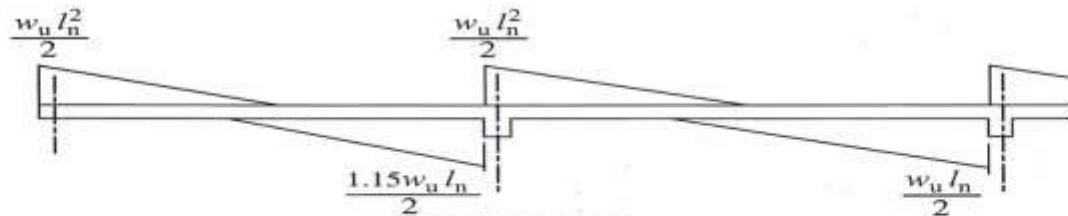
Case 1 — Moment diaphragm where end support is a spandrel girder



Case 2 — Moment diaphragm where end support is a column



Case 3 — Moment diaphragm end support unrestrained



Shear diaphragm for Cases 1-3

Approximate moment and shear of continuous beams or one-way slabs (ACI 8.3.3).

## EXAMPLE

If the slab shown is reinforced with 12mm @ 40 cm c/c at bottom straight and 12mm @ 40 cm c/c at bottom bent up check the design of the slab?  
thickness = 20 cm

Soln:

$$\begin{aligned}\min t &= L/24 \text{ for end span} \\ \min t &= (5000-400)/24 = \\ &= 192 \text{ mm} < 200 \text{ ok}\end{aligned}$$

from ACI coeff: max -ve M  
at 1st support =  $wL^2/10$

find the load  $w$  from the drawings and for what purpose the building is constructed, Live load from tables...

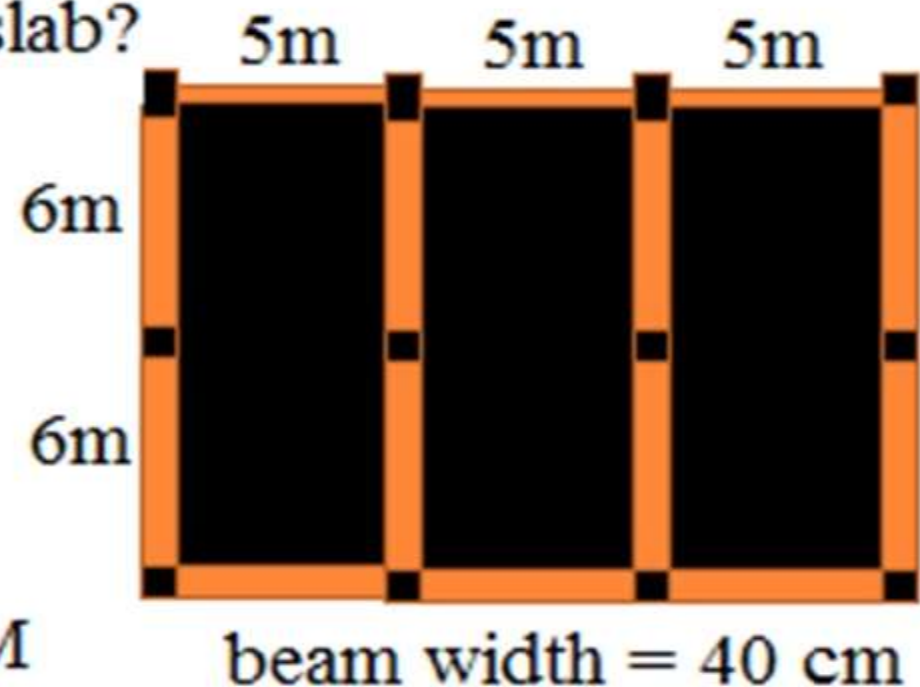


TABLE A-14 Minimum Thicknesses of Non-Prestressed Beams or One-Way Slabs Unless Deflections Are Computed

Exposure	Member	Minimum Thickness, $h$				Source
		Simply Supported	One End Continuous	Both Ends Continuous	Cantilever	
Not supporting or attached to partitions or other construction likely to be damaged by large deflections	Solid one-way slabs	$l/20$	$l/24$	$l/28$	$l/10$	ACI Table 9.5(a)
	Beams or ribbed one-way slabs	$l/16$	$l/18.5$	$l/21$	$l/8$	
Supporting or attached to partitions or other construction likely to be damaged by large deflections	All members: $\omega \leq 0.12^a$ and $\frac{\text{sustained load}}{\text{total load}} < 0.5$	$l/10$	$l/13$	$l/16$	$l/4$	
	All members: $\frac{\text{sustained load}}{\text{total load}} > 0.5$	$l/6$	$l/8$	$l/10$	$l/3$	

<sup>a</sup> $\omega = \rho f_y / f'_c$



steel area provided = 12 @ 40 cm both sides so = 12@20cm  
you have 5 bars /m =  $5 \times 113 = 565 \text{ mm}^2 /\text{m}$  ...design ok

### Example : Two way slab

Take the interior slab 5 x 6 m slab thickness, as before = 20 cm

Therefore loading as before .

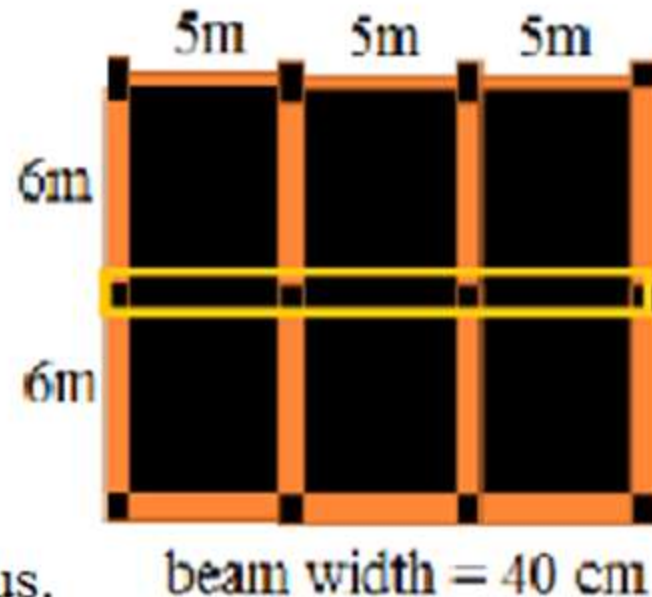
Approximate depth =  
perimeter/180

$h = 2(5+6) / 180 = 0.13 \text{ m}$   
we have 20 cm = 0.2 m ...ok

find moment coefficient from  
tables, for slab with three edges

continuous , one edge discontinuous.  
short span/long span =  $4.6/5.6 = 0.82$

max coeff is for (-ve at top ) at continuous edges = 0.055





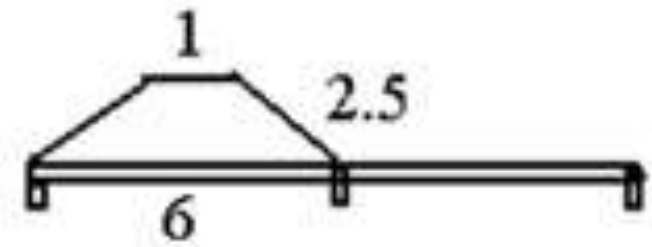
**TABLE 4.7** Elastic Moment Coefficients for Two-Way Slabs

Moments	Short span						Long span, all span ratios
	Span ratio, short/long						
	1.0	0.9	0.8	0.7	0.6	0.5 and less	
Case 1—Interior panels							
Negative moment at:							
Continuous edge	0.033	0.040	0.048	0.055	0.063	0.083	0.033
Discontinuous edge	—	—	—	—	—	—	—
Positive moment at midspan	0.025	0.030	0.036	0.041	0.047	0.062	0.025
Case 2—One edge discontinuous							
Negative moment at:							
Continuous edge	0.041	0.048	0.055	0.062	0.069	0.085	0.041
Discontinuous edge	0.021	0.024	0.027	0.031	0.035	0.042	0.021
Positive moment at midspan	0.031	0.036	0.041	0.047	0.052	0.064	0.031
Case 3—Two edges discontinuous							
Negative moment at:							
Continuous edge	0.049	0.057	0.064	0.071	0.078	0.090	0.049
Discontinuous edge	0.025	0.028	0.032	0.036	0.039	0.045	0.025
Positive moment at midspan:	0.037	0.043	0.048	0.054	0.059	0.068	0.037
Case 4—Three edges discontinuous							
Negative moment at:							
Continuous edge	0.058	0.066	0.074	0.082	0.090	0.098	0.058
Discontinuous edge	0.029	0.033	0.037	0.041	0.045	0.049	0.029
Positive moment at midspan:	0.044	0.050	0.056	0.062	0.068	0.074	0.044
Case 5—Four edges discontinuous							
Negative moment at:							
Continuous edge	—	—	—	—	—	—	—
Discontinuous edge	0.033	0.038	0.043	0.047	0.053	0.055	0.033
Positive moment at midspan	0.050	0.057	0.064	0.072	0.080	0.083	0.050

weight of wall per meter of beam =

$$(3.5 - 0.5) 5.2 = 15.6 \text{ kN/m length..}$$

$$\text{weight of beam} = 0.4 \times 0.5 \times 25 = 5 \text{ kN/m}$$



$$\text{wt from slab on beam} = w \left[ \frac{(1+6)}{2} \times 2.5 \right] \frac{2}{6} \times 1.25 = 3.65w$$

$$\text{dead load from slab} = 3.65 \times 6.35 = 23.2 \text{ kN/m.L}$$

$$\text{Total dead load} = 15.6 + 5 + 23.2 = 43.8 \text{ kN/m}$$

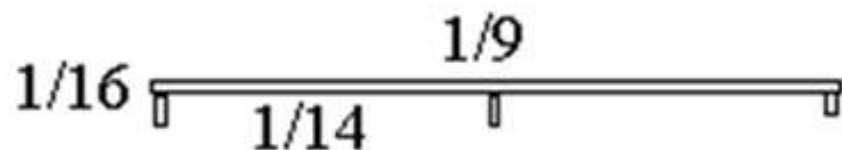
$$\text{total live load on beam} = 3.65 \times 4 = 14.6 \text{ kN/m}$$

$$\text{factored load} = 43.8 \times 1.4 + 14.6 \times 1.7 = 86.1 \text{ kN/m}$$

$$\text{max -ve moment} = wL^2 / 9 = 86.1 (5.6)^2 / 9 = 300 \text{ kN.m}$$

$$A_s = 300 \times 10^6 / (0.9 \times 420 \times 0.9 \times 440) = 2004 \text{ mm}^2$$

= 4 bars 25 mm....check with the bars provided...



$$\text{beam min depth} = h = L/18.5 = 5.6/18.5 = 0.3 \text{ m} < 50 \text{ cm ok}$$

$$\text{beam min } A_s = 0.0033 bd = 0.0033 \times 400 \times 500 = 660 \text{ mm}^2 < 2000 \text{ ok}$$

# Columns

Approximate load calculation based on area supported from this approximate equation:

$$P_u = 0.4 f_c' A_c + 0.5 f_y A_s \quad \text{where :}$$

$P_u$  : max load on col.

$f_c'$  : concrete cylinder compressive strength  
 $= f_{\text{cube}} / 1.25$

$f_y$  : steel yield strength

$A_s$  : total steel area in col.  $0.01 A_c < A_s < 0.04 A_c$

Design load on col. =  $K \times$  load based on static calculation of reaction (based on area supported)

## K factor

column location	top storys	next to top	lower storys
internal	1	1	1
external	4.5	2	1.4
corner	6	2.3	1.8

These factors to be used for checking if no moment is considered

## EXAMPLE

our frame example suppose it is two storied building  
col to be checked is (ab) at ground floor  
area supported  $= (2.5 + 2.5)(6/2) = 15 \text{ m}^2$

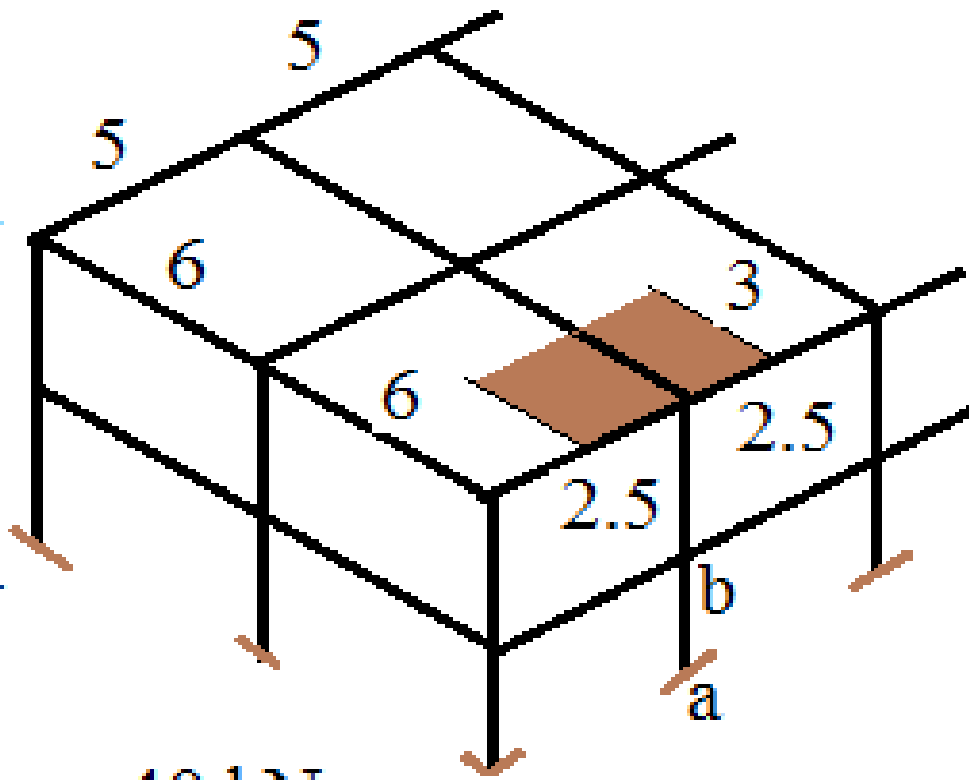
load on column :

from roof : live load  
 $15 \times 2$  (assumed) =  
30 kN

dead load :  
slab + tile + ceiling  
 $= 6.35 \times 15 = 95 \text{ kN}$

from beams =

$(2.5 + 2.5 + 3) \times 5 \text{ kN/m} = 40 \text{ kN}$





total dead load from roof = 135 kN

From first floor : live load =  $15 \times 4 = 60 \text{ kN}$

dead load : slab + tile + ceiling =  $6.35 \times 15 = 95 \text{ kN}$

from beams =  $(2.5 + 2.5 + 3) \times 5 \text{ kN/m} = 40 \text{ kN}$

from walls =  $(5 + 3) \times 15.6 = 125 \text{ kN}$

column wt say =  $0.3 \times 0.3 \times 3.5 \times 25 = 7.875 = 8 \text{ kN}$

total dead load from 1st floor =  $95 + 40 + 125 + 8 = 268 \text{ kN}$

col wt of ground floor =  $0.3 \times 0.3 \times 5 \times 25 = 11.25 = 12 \text{ kN}$

note : if you have tie beam add wt of tie beam and wall on it

total live load on col(ab) =  $30 + 60 = 90 \text{ kN}$

total dead load on col(ab) =  $135 + 268 + 12 = 415 \text{ kN}$

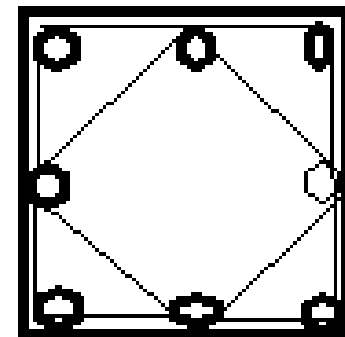
factored load =  $1.4 \times 415 + 1.7 \times 90 = 734 \text{ kN}$

since this is an external column and next to the top story then K factor is 2 , and  $P_u = 2 \times 734 = 1468 \text{ kN}$

Now check your column : suppose your col is 30x30 cm with 8 bars of 16 mm...and concrete  $f_c' = 25 \text{ Mpa}$

$$\begin{aligned} \text{Then: } P_u &= 0.4 \times 25 \times 300 \times 300 + 0.5 \times 420 \times 8 \times 200 = 1236000 \text{ N} \\ &= 1236 \text{ kN} < 1468 \text{ kN} \text{ ..not good} \end{aligned}$$

if the steel was 8 / 20 mm , then  $P_u = 1428 \text{ kN}$  app 1468 ok



## Footing

check the single footing for col (ab) of last example:  
suppose your soil allowable bearing capacity =  $14\text{T/m}^2$   
and the footing dimension is  $2\text{x}2\text{x}0.4\text{m}$  at depth of  $1.5\text{ m}$   
from ground level.

Ultimate load from the col =  $734\text{ kN}$  and the service  
loads (unfactored) =  $415 + 90 = 505\text{kN}$  see col.loads

weight of footing =  $2\text{x}2\text{x}0.4\text{x}25 = 40\text{kN}$

weight of soil above footing =  $(1.5-0.4)\text{x}2\text{x}2\text{x}19 = 84\text{ kN}$

total wt on the footing base =  $505 + 40 + 84 = 629\text{kN}$

required area of footing =  $629/140 = 4.5\text{ m}^2 = 2.12\text{x}2.12$

>  $2\text{x}2$  not ok very close lets say ok

Check the steel provided..suppose it is  $16\text{mm}@15\text{cm}$

check depth for punching shear,

ultimate bearing pressure =  $734 / (2 \times 2) = 183.5 \text{ kN/m}^2$

punching perimeter =  $0.65 \times 4 = 2.6 \text{ m} = 2600 \text{ mm}$   $b_o$

punching area =  $0.65 \times 0.65 = 0.4225 \text{ m}^2$

punching load =  $734 - 183.5 \times 0.4225 = 656.5 \text{ kN}$

concrete punching shear

capacity  $V_c = 0.33 \sqrt{f_c'} \times b_o \times d$

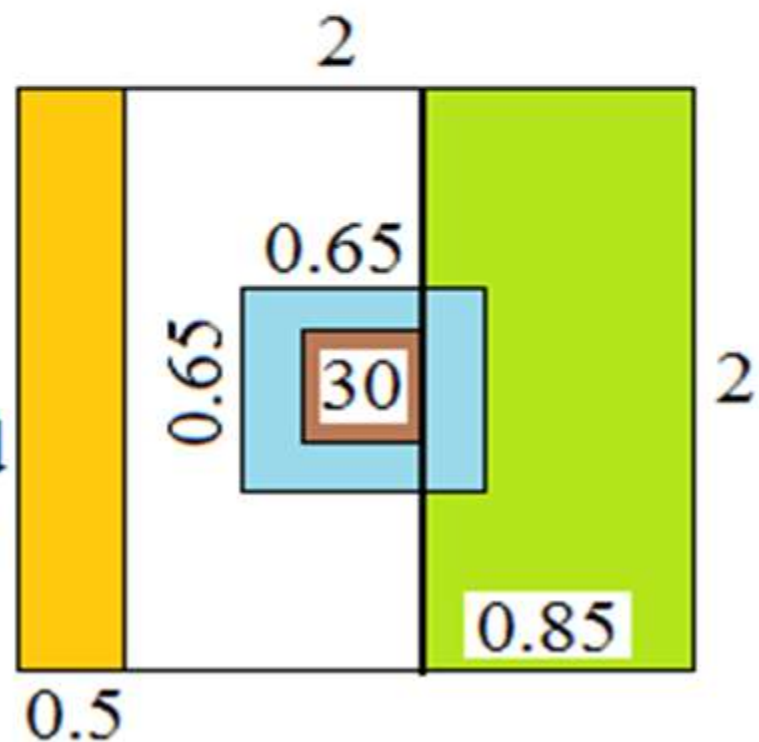
$= 0.33 \times 5 \times 2600 \times 350 = 1502 \text{ kN}$

$> 734 \text{ kN}$  ok

check beam shear:  $V_c = 0.17 \sqrt{f_c'} b d$

$V_c = 0.17 \times 5 \times 2000 \times 350 = 595 \text{ kN}$

$V_u = 0.5 \times 2 \times 183.5 = 183.5 \text{ kN}$  ok



moment at face of column =  $w L^2 / 2$

$$= (183.5 \times 2) (0.85)^2 / 2 = 132.6 \text{ kN/2m}$$

$$A_s = 132.6 \times 10^6 / (0.9 \times 420 \times 0.9 \times 350) = 1112 \text{ mm}^2 / 2\text{m}$$

provided 16mm @ 20cm c/c = 5 bars / m =  $5 \times 200 =$

$$1000 \text{ mm}^2 / \text{m} = 2000 \text{ mm}^2 / 2\text{m} > 1112 \text{ ok}$$

Thank YOU